

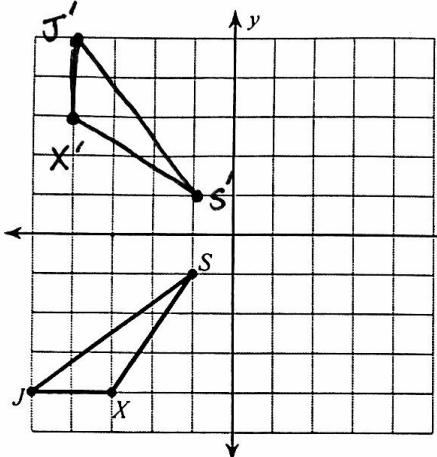
## MILESTONE REVIEW Coach Book -- Unit 5

Date \_\_\_\_\_ Period \_\_\_\_\_

Graph the image of the figure using the transformation given. Then write the vertices of the image.

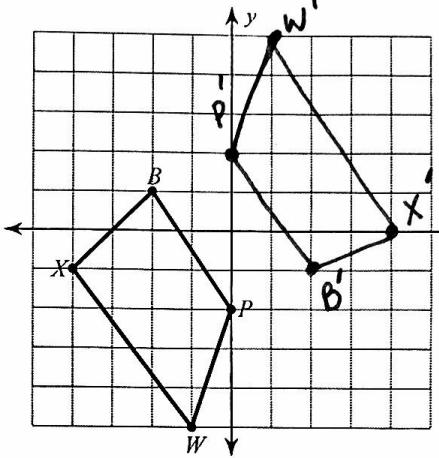
 $270^\circ \text{ccw}$ 

- 1) rotation
- $90^\circ$
- clockwise about the origin



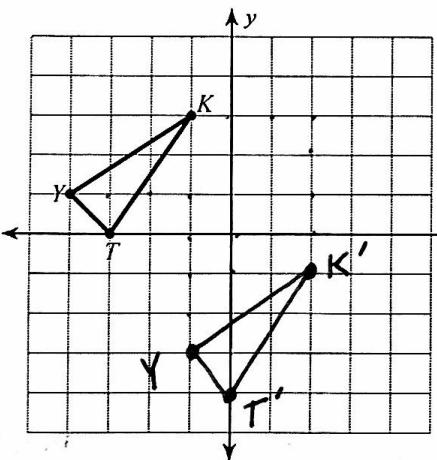
$$\begin{aligned}S &(-1, -1) \\X &(-3, -4) \\J &(-5, -4) \\S' &(-1, 1) \\X' &(-4, 3) \\J' &(-4, 5)\end{aligned}$$

- 2) rotation
- $180^\circ$
- about the origin



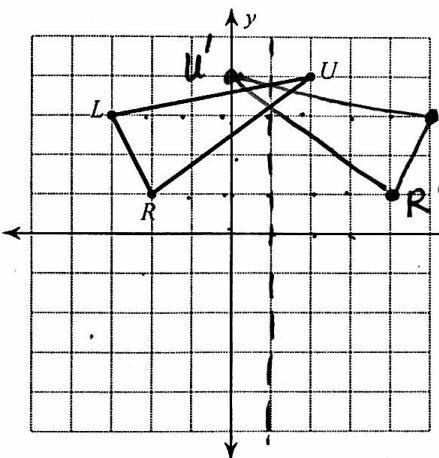
$$\begin{aligned}X &(-4, -1) \\B &(-2, 1) \\P &(0, -2) \\W &(-1, -5) \\X' &(4, 1) \\B' &(2, -1) \\P' &(0, 2) \\W' &(1, 5)\end{aligned}$$

- 3) translation: 3 units right and 4 units down



$$\begin{aligned}K' &(2, -1) \\T' &(0, -4) \\Y' &(-1, -3)\end{aligned}$$

- 4) reflection across
- $x = 1$



$$\begin{aligned}U &(0, 4) \\L' &(5, 3) \\R' &(4, 1)\end{aligned}$$

Write the vertices of the image after the given transformation.

- 5) reflection across the y-axis (
- change sign of x*
- )
- 
- $A(1, -1), B(-2, 3), S(3, 3), V(4, -2)$
- $(-x, y)$

- 6) rotation
- $90^\circ$
- counterclockwise about the origin (
- change sign of y and switch order*
- )
- 
- $G(-1, +4), C(1, 1), F(3, 0), Y(3, -5)$
- $(-y, x)$

$$A'(-1, -1) \quad B'(2, 3) \quad S'(-3, 3) \quad V'(-4, -2)$$

$$G'(4, -1) \quad C'(-1, 1) \quad F'(0, 3) \quad Y'(5, 3)$$

Find the coordinates of the vertices of each figure after the given transformation.

- 7) reflection across the x-axis (
- change sign of y*
- )
- 
- $S(-5, +4), B(-2, 0), T(0, +3)$
- $(x, -y)$

- 8) reflection across
- $y = x$
- (
- switch order (y, x)*
- )
- 
- $Q(1, 0), Y(0, 4), N(1, 4), E(3, 1)$

- A)  $B'(0, 0), T'(-2, -3), S'(3, -4)$   
 B)  $B'(-2, 0), T'(0, 3), S'(-5, 4)$   
 C)  $B'(0, 2), T'(3, 0), S'(4, 5)$   
 D)  $B'(0, -2), T'(-3, 0), S'(-4, -5)$

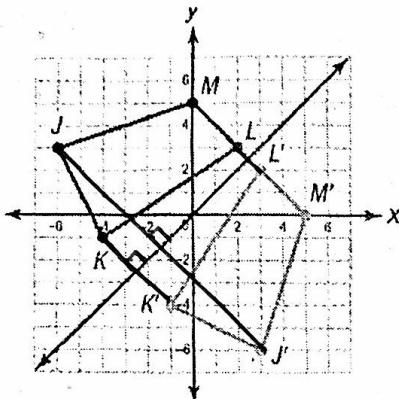
- A)  $Y'(-4, 0), N'(-4, -1), E'(-1, -3), Q'(0, -1)$   
 B)  $Y'(0, 0), N'(1, 0), E'(3, 3), Q'(1, 4)$   
 C)  $Y'(4, 0), N'(4, 1), E'(1, 3), Q'(0, 1)$   
 D)  $Y'(0, -4), N'(1, -4), E'(3, -1), Q'(1, 0)$

$$P(-4, 3) \xrightarrow{(+10, -2)} P'(6, 1)$$

9. Point P at (-4, 3) is translated to form image, point P', at (6, 1). Write a function to represent the translation. If point R (-5, 6) and point S (1, 2) are also translated using the rule, what will be the coordinates of their images?  $R' \underline{(5, 4)}$   $S' \underline{(11, 0)}$

$$(x, y) \rightarrow (x+10, y-2) \text{ or } \langle 10, -2 \rangle$$

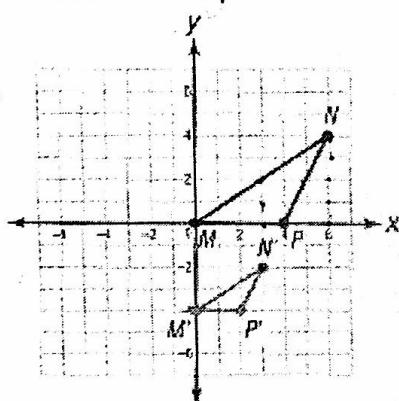
10.



Quadrilateral JKLM and its reflected image are shown. Which statement is true of these two quadrilaterals?

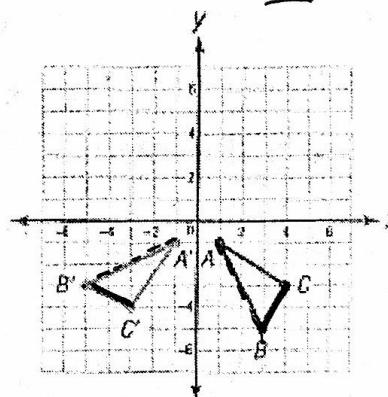
- a) The image shows the result of a reflection across the ~~x~~-axis.
- b) The path that point L takes across the line of reflection is perpendicular to the line of reflection. ✓
- c) Each point  $(x, y)$  on quadrilateral JKLM maps to point  $(\underline{y}, \underline{x})$  on its image.
- d) Corresponding sides of quadrilateral JKLM and its image are ~~parallel~~.

11. Which sequence of transformations can be used to map  $\triangle MNP$  onto  $\triangle M'N'P'$ ?



$$\begin{aligned} N(6, 4) \times \frac{1}{2} &= (3, 2) \\ &\langle 0, -4 \rangle \\ N' &(3, -2) \quad (3, -2) \end{aligned}$$

12.  $\triangle ABC$  is transformed to  $\triangle A'B'C'$ . Which statement is NOT true?



$$\begin{aligned} B(3, -5) \\ B'(-5, -3) \end{aligned}$$

- (A) dilation by a factor of  $\frac{1}{2}$  followed by a translation 4 units down ✓
- B. dilation by a factor of  $\frac{1}{2}$  followed by a ~~270° rotation~~
- C. vertical shrink by a factor of  $\frac{1}{2}$  followed by a translation 4 units down ~~word only change the y's~~
- D. vertical shrink by a factor of  $\frac{1}{2}$  followed by a ~~270° rotation~~

- A. This transformation shows the image of  $\triangle ABC$  after a  $270^\circ$  rotation about the origin
- B. This transformation preserved the distances and angle measure of the original figure.
- C. Sides  $\overline{AB}$  and  $\overline{A'B'}$  lie on lines that are ~~parallel~~ to one another. X
- D. Sides  $\overline{BC}$  and  $\overline{B'C'}$  lie on lines that are perpendicular to one another. ✓